



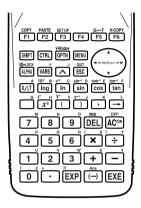
# Computer Algebra System and Tutorial Modes (ALGEBRA FX 2.0 PLUS only)

- 7-1 Using the CAS (Computer Algebra System) Mode
- 7-2 Algebra Mode
- 7-3 Tutorial Mode
- 7-4 Algebra System Precautions

## 7-1 Using the CAS (Computer Algebra System) Mode

On the Main Menu, select the CAS icon to enter the CAS Mode.

The following table shows the keys that can be used in the CAS Mode.



#### Inputting and Displaying Data

Input in the Algebra Mode is performed in the upper part of the display, which is called the "input area." You can input commands and expressions at the current cursor location.

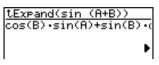
<u>X+Y+X=Y-X-3Y+2X</u>
TRNSICALCIEQUAI EAN IGRPHI D
CLR SW RANSIMEM

Calculation results appear in the lower part of the display, which is called the "output area." When a calculation produces an equation or inequality, the lower part of the display is divided between a "natural result display area" for the result, and a "formula number area" for the formula number as shown below.

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#### 7-1-2 Using the CAS (Computer Algebra System) Mode

If all the result does not fit on the display, use the cursor keys to scroll it.



#### Inputting List Data

List: {element, element, ..., element}

- Elements should be separated by commas, and the entire set of elements should be enclosed within {curly braces}.
- You can input numeric values and expressions, equations, and inequalities as list elements.

••••• Example	To input List {1, 2, 3}
	Shift X ( { ) 1 9 2 9 3 Shift 🛨 ( } ) EXE

TRNSICAL CIEQUAL CAN IGRPHI D

#### Inputting Matrix Data

Matrix  $(m \times n)$ : [[(1,1) entry, (1,2) entry, ..., (1,m) entry] [(2,1) entry, ...., (2,n) entry]... [(m, n) entry, ..., (m, n) entry]]

- The above input is arranged to show the relative positions of entries in the matrix. Actual input is an unbroken line, from left to right.
- Entries should be separated by commas, and the entire set of elements should be enclosed within [square brackets]. And each line also should be enclosed within [square brackets].
- You can input numeric values and expressions as matrix entries.

•••• Example	To input the matrix shown below	4	2 5 8	6	
	SHFT ⊕ ([)       ([)       1       •       2       •         SHFT ━ (])       SHFT ⊕ ([)       4       •       5       •         SHFT ━ (])       SHFT ⊕ ([)       7       •       8       •         SHFT ━ (])       SHFT ━ (])       E       •       •       •	6			[1,2,3][4,5,6][7,8,9]         1       2         4       5         7       8         7       8         RHSICAL CLEQUAL LEAD       EGN IGREPHI

#### ##

#### 7-1-3 Using the CAS (Computer Algebra System) Mode

#### ■ Inputting Vector Data

Vector: [component, component, ..., component]

- Components should be separated by commas, and the entire set of components should be enclosed within [square brackets].
- You can input numeric values and expressions as vector component entries.

•	•	•	•	•	
E	xa	mı	ole	•	

To input Vector (1 2 3)

shift) (	<b>Ð</b> ([	)1	$\mathbf{\mathbf{D}}$	2,	] 3
Shift) (	](]	) EXE			

[1,2,3]	
[1,2,3]	

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#### Performing an Algebra Mode Operation

There are two methods that you can use for input in the Algebra Mode.

- Function menu command input
- Manual formula and parameter input

#### Menu Command Input

Press a function menu key to display the menu of functions for the type of operation you are trying to perform.

- **TRNS** ... {formula transformation menu}
- •CALC ... {formula calculation menu}
- EQUA ... {equation, inequality menu}
- eqn ... {calls up an equation stored in Equation Memory in accordance with a specified input value}
- CLR ... {variable/formula delete menu}

Pressing the OPTN key displays the menu shown below.

- LIST ... {list calculation menu}
- MAT ... {matrix calculation menu}
- VECT ... {vector calculation menu}

For details on commands and their formats, see the "Algebra Command Reference" on page 7-1-11.

#### Manual Formula and Parameter Input

You can use the function menus, [WTM] key, and [WARS] key in combination to input formulas and parameters as described below.

• F3 (EQUA) 1 (INEQUA)

• {>}/{<}/{≥}/{≤} ... {inequality}

• OPTN key

- { $\infty$ }/{Abs}/{x!}/{sign} ... {infinity}/{absolute value}/{factorial}/{signum function\*1}
- {HYP} ... {hyperbolic}/{inverse hyperbolic} functions

```
• {sinh}/{cosh}/{tanh}/{sinh<sup>-1</sup>}/{cosh<sup>-1</sup>}/{tanh<sup>-1</sup>}
```

• VARS key

```
• {Yn}/{rn}/{Xtn}/{Ytn}/{Xn} ... input of graph memory {Yn}/{rn}/{Xtn}/{Ytn}/{Xn}
```

#### Formula Memory

The CAS Mode has 28 formula variables. Variable names are the letters A through Z, plus *r*, and  $\theta$ . CAS Mode formula variables are independent of standard value variables.

• • • • •	
Example	To assign a formula that differentiates $sin(X)$ at X ( $cos(X)$ ) to variable A

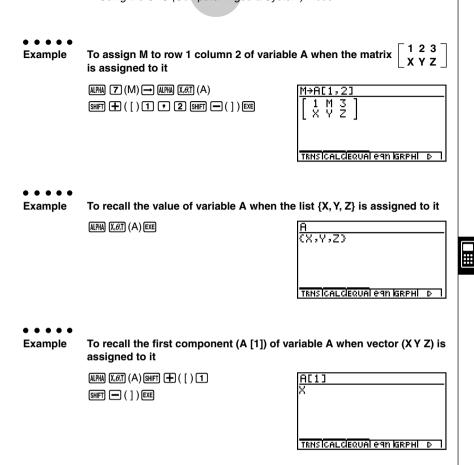
 $\begin{array}{c} \textbf{F2} (CALC) \texttt{1} (diff) \texttt{sin} (\texttt{X, \theta, \texttt{I}} \texttt{)} \\ \hline \texttt{X, \theta, \texttt{I}} (\texttt{)} & \longrightarrow (\texttt{ALPHA} (\texttt{X, \theta, \texttt{I}} (\texttt{A}) \texttt{Exe} \\ \end{array}$ 

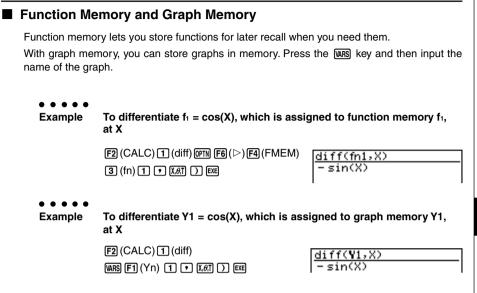
<u>diff(sin X,X)→A</u> cos(X)

```
*1signum (A) \begin{cases} 1 \text{ (real number, } A > 0) \\ -1 \text{ (real number, } A < 0) \\ \frac{A}{|A|} (A = \text{imaginary number}) \\ \text{Undefined } (A = 0) \end{cases}
```

....

7-1-5 Using the CAS (Computer Algebra System) Mode





#### Eqn Memory

When a calculation result is an equation or inequality, its formula number is displayed in the formula number area, and the equation is stored in Eqn memory.\*<sup>1</sup> Stored equations can be recalled with the eqn command, rclEqn command or rclAllEqn command.



\*1Up to 99 formulas can be stored in Eqn memory. The error message "Memory ERROR" when

you try to store an equation when there are already 99 equations in Eqn memory. When this happens, execute the ALLEQU (Delete All Equations) from the CLR menu.

#### Answer (Ans) Memory and Continuous Calculation

Answer (Ans) memory and continuous calculation can be used just as with standard calculations. In the Algebra Mode, you can even store formulas in Ans memory.

### Example To expand (X+1)<sup>2</sup> and add the result to 2X

F1 (TRNS) 1 (expand) ( KAT + 1 ) x<sup>2</sup> ) EE <u>expand((X+1)²)</u> X<sup>2</sup>+2X+1

<u>Ans+2X</u> X<sup>2</sup>+4X+1

#### Replay Contents

Replay memory can be used in the input area. After a calculation is complete, pressing O or O in the input area recalls the formula of the last calculation performed. After a calculation or after pressing O, you can press O or O to recall previous formulas.

#### Moving the Cursor Between Display Areas

When  $\blacktriangleleft \blacktriangleright \blacktriangle$  indicates a calculation result that does not fit on the display, the cursor keys perform output area scrolling. To use the Replay Function from this condition, press [F6] (>) [F2] (SW).  $\blacktriangleleft \triangleright \blacktriangle \forall$  change to a dotted line display to indicate that cursor key operations control the input area.

Pressing F2 (SW) again moves the cursor back to the output area.

# Pressing F6(▷)F1(CLR)③(ALLEQU) deletes Eqn memory, Ans memory, and Replay memory contents. # You can input up to 255 bytes of data into the input area.

#### 7-1-8 Using the CAS (Computer Algebra System) Mode

#### SET UP Items

- Angle ... Unit of angular measurement specification
- {Deg}/{Rad} ... {degrees}/{radians}
- Answer Type ... Result range specification
- {Real}/{Cplx} ... {real number}/{complex number}
- Display ... Display format specification (for approx only)
- {Fix}/{Sci}/{Norm} ... {number of decimal places}/{number of significant digits}/ {normal display format}

#### Graph Function

Pressing F5 (GRPH) displays the graph formula screen, which you can use to input a graph formula. Press F4 (G•VAR) if you want to input a graph memory.

You can also use the F1 (SEL), F2 (DEL), and F3 (TYPE) functions while the graph formula screen is on the display.

Press F6 (DRAW) to draw a graph.

#### RECALL ANS Function

Pressing  $F6(\triangleright)$  F3(R-ANS) recalls Ans Memory contents.

#### Solution Memory

In the CAS Mode or ALGEBRA Mode, you can save the history of a calculation you perform (replay memory contents) into solution memory. This section describes how you can access and work with the contents of solution memory. Pressing  $[F_0](\triangleright)$  [F4](MEM) on the CAS Mode or ALGEBRA Mode main menu display the initial solution memory screen shown below.

Solution Memory F1:Save F2:Clear Memory F3:Optimization F6:Display Memory	
	DISF

- {SAVE} ... {saves the calculation history to solution memory}
- {DEL·A}... {deletes solution memory contents}
- {OPT} ... {optimizes solution memory}
- {DISP} ... {displays solution memory contents}

#### • To save a calculation history to solution memory (Save)

On the initial solution memory screen, press F1 (SAVE).

[	Save	
1	DK to save all replay memory contents?	CAS
-	VES	NO.

Press F1(YES) to save the calculation history to solution memory.



Pressing ESC returns to the solution memory initial screen.

• Pressing F6 (NO) in place of F1 (YES) returns to the solution memory initial screen without saving anything.

#### • To clear solution memory contents (Clear Memory)

On the initial solution memory screen, press F2 (DEL·A).



Press F1 (YES) to clear solution memory contents.

 $\label{eq:pressing_scalar} \ensuremath{\mathsf{Pressing}}\xspace \ensuremath{\mathsf{ESC}}\xspace$  returns to the solution memory initial screen.

- Pressing F6 (NO) in place of F1 (YES) returns to the solution memory initial screen without clearing anything.
- This clears both CAS Mode and ALGEBRA Mode memory contents. You cannot select the mode shows memory contents you want to delete.

#### • To display solution memory contents (Display Memory)

On the initial solution memory screen, press F6 (DISP).

This displays the oldest expression and result in solution memory. The bottom line shows the record number.

absExpand(Abs	(2X-3)=
2X-3=9	0
or 2X-3=-9	8
	0001
BACKIDELI NUM	SEL NEXT

• F6 (DISP) is disabled when there is no data in Solution memory.

#### • To display the next record

Press F6 (NEXT).

#### • To display the previous record

Press F1(BACK).

• Pressing F1 (BACK) while the oldest record is on the display returns to the solution memory initial screen.

#### • To display a particular record

Press F5 (SEL) and then input the number of the record you want to display.

ał	SExpand	(Abs	(2X-3)	) =
2X or	Select	Numbe	r	0 6
	[1-109	201:0		_
			000	
BA	CKÍDELÍ	INUM	SEL INE	TL

Pressing EXE displays the record whose number you input.

#### To delete a single solution memory record

Display the record you want to delete, and then press F2 (DEL).

In response to the confirmation message that appears, press  $\mathbb{E}$  (Yes) to delete the record you displayed.

To clear the above screen without deleting anything, press ESC (No).

#### • To toggle record number display on and off

Press F4 (NUM) to toggle display of the record number on and off.

#### • To optimize solution memory (Optimization)

On the initial solution memory screen, press F3 (OPT).

Pressing ESC returns to the solution memory initial screen.

Optimizing solution memory rearranges data and can free up more storage space. Perform the above procedure when solution memory capacity starts running low.

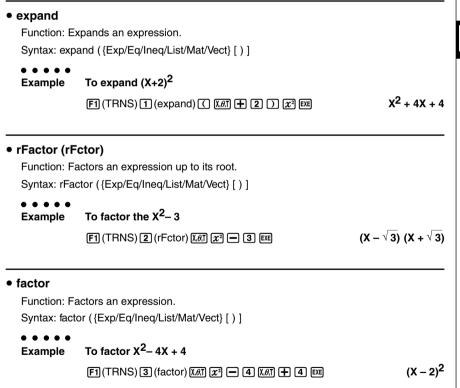
7-1-11 Using the CAS (Computer Algebra System) Mode

#### Algebra Command Reference 💻

The following are the abbreviations used in this section.

- Exp ... Expression (value, formula, variable, etc.)
- Eq ... Equation
- Ineq ... Inequality
- List ... List
- Mat ... Matrix
- Vect ... Vector

Anything enclosed within square brackets can be omitted.



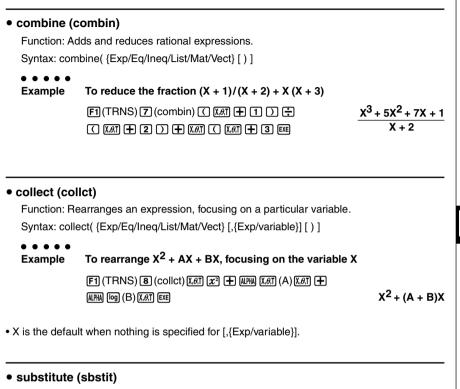
#### 7-1-12 Using the CAS (Computer Algebra System) Mode

<ul> <li>solve</li> </ul>	
Function: S	olves an equation.
Syntax: solv	ve( Eq [,variable] [ ) ]
sol	ve( {Eq-1,, Eq-n}, {variable-1,,variable-n} [ ) ]
• • • • •	
Example	To solve AX + B = 0 for X
	$F1(TRNS) \stackrel{(4)}{=} (solve) \stackrel{(4)}{=} KaT(A) \stackrel{(5)}{=} X = -\frac{B}{A}$
• • • • •	
Example	To solve simultaneous linear equation $3X + 4Y = 5$ , $2X - 3Y = -8$
	F1 (TRNS) 4 (solve) SHIFT X ( { )
	3 (APMA + (X) + 4 (APMA − (Y) Shift • (=) 5 •
	2 APA ⊕ (X) ━ 3 APA ━ (Y) Shift • (=) (━) 8
	SHIFT
	ALPHA - (Y) SHIFT + () EXE   Y = 2
	<b>Expnd)</b> mploys the addition theorem to expand a trigonometric function. pand( {Exp/List/Mat/Vect} [ ) ]
Example	To employ the addition theorem to expand sin(A+B)
	F1(TRNS) 5 (TRIG) 1 (tExpnd)
	sin ( , , , , , , , , , , , , , , , , , ,
• tCollect (t0	Collc)
	mploys the addition theorem to transform the product of a trigonometric
Function: E	-
Function: E	mploys the addition theorem to transform the product of a trigonometric unction to a sum.

#### 7-1-13 Using the CAS (Computer Algebra System) Mode

<ul> <li>trigToExp</li> </ul>	(trigToE)	
Function: Tr	ansforms a trigonometric or hyperbolic function to an ex	ponential function.
Syntax: trig	<pre>FoExp( {Exp/List/Mat/Vect} [ ) ]</pre>	
Example	To convert cos(iX) to an exponential function	$e^{\mathbf{X}_{+}}e^{-\mathbf{X}_{+}}$
	F1 (TRNS) ⑤ (TRIG) ③ (trigToE)  剛町 ⓪ (i) 派研 EXE	2
• expToTrig (	(expToT)	
Function: C	onverts an exponential function to a trigonometric or hyp	perbolic function.
Syntax: exp	ToTrig( {Exp/List/Mat/Vect} [ ) ]	
● ● ● ● ● Example	To convert $e^{i\mathbf{X}}$ to a trigonometric function	
	F1 (TRNS) 5 (TRIG) 4 (expToT)	
	SHIFT (In ( $e^x$ ) ( SHIFT () ( $i$ ) ( $i$ ) ( $i$ , $\theta$ .T) (exe	$\cos(X) + \sin(X) \cdot i$
• simplify (s	mplfy)	
Function: Si	mplifies an expression.	
Syntax: sim	plify( {Exp/Eq/Ineq/List/Mat/Vect} [ ) ]	
• • • • •		
Example	To simplify 2X + 3Y – X + 3 = Y + X – 3Y + 3 – X	
	F1 (TRNS) 6 (smplfy) 2 (LIPHA) + (X) + 3 (LIPHA - (Y)	)
	$\blacksquare$ (ALPHA $\bigoplus$ (X) $\bigoplus$ (3) (SHIFT $\bigcirc$ (=) (ALPHA $\boxdot$ (Y)	
	(MPHA  (X) ━ 3 (MPHA ━ (Y)  3 ━	
	ALPHA 🛨 (X) EXE	X + 3Y + 3 = -2Y + 3

#### 7-1-14 Using the CAS (Computer Algebra System) Mode



Function: Assigns an expression to a variable.

Syntax: substitute( {Exp/Eq/Ineq/List/Mat/Vect}, variable=expression [,..., variable=expression] [ ) ]

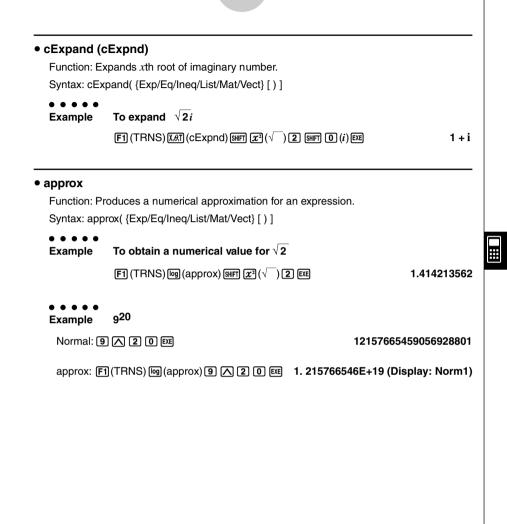
• • • • • Example

To assign 5 to X in 2X – 1

F1 (TRNS) 9 (sbstit) 2 (𝔅,𝑘,Ҭ) − 1 • (𝔅,𝑘,Ҭ) 5 (Ξ) 5 (Ξ𝔅)

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#### 7-1-15 Using the CAS (Computer Algebra System) Mode



#### # About approx

With normal calculations (when approx is not used) in the CAS Mode, calculation results are displayed in full, without using exponents. When you use approx in the CAS Mode, however, results are displayed using the exponential format range specified by the Display item of the SET UP screen.

This means approx displays results in the CAS Mode the same way they are displayed in the RUN• MAT Mode.

#### 7-1-16 Using the CAS (Computer Algebra System) Mode

• diff		
Function: D	ifferentiates an expression.	
Syntax: dif	f( {Exp/List} [, variable, order, derivative] [ ) ]	
dif		
dif	f( {Exp/List}, variable, order [, derivative] [ ) ]	
● ● ● ● ● Example	To differentiate $X^6$ with respect to X	
	F2 (CALC) 1 (diff) K.Ø.] (A 6 EXE	6X <sup>5</sup>
• X is the defau	It when no variable is specified.	
<ul> <li>1 is the defau</li> </ul>	It when no order is specified.	
• ∫		
Function: In	tegrates an expression.	
Syntax: ∫( {	Exp/List} [, variable, integration constant] [ ) ]	
)( {	Exp/List}, variable [, integration constant] [ ) ]	
∫( {	Exp/List}, variable, lower limit, upper limit [ ) ]	
● ● ● ● ● Example	To integrate $X^2$ with respect to X	
Example	•	х <sup>3</sup>
	F2 (CALC) 2 ( $\int$ ) ( $\mathcal{K}$ , $\mathcal{R}$ ) ( $\mathcal{R}$ ) (CALC)	3
• X is the defau	It when no variable is specified.	
• lim		
Function: D	etermines the limits of a function expression.	
Syntax: lim	({Exp/List}, variable, point [, direction] [)]	
• • • • • Example	To determine the limits of $sin(X)/X$ when $X = 0$	
	F2 (CALC) 3 (lim) (in (1.61) 🕂 (1.61) 🤊 (1.61) 🕫 🗵	1
- Direction con	he positive (from right) or possitive (from left)	

• Direction can be positive (from right) or negative (from left).

#### 7-1-17 Using the CAS (Computer Algebra System) Mode

• Σ	
Function: Ca	alculates a sum.
Syntax: Σ( {	Exp/List}, variable, start value, end value [ ) ]
• • • • • Example	To calculate the sum as the value of X in $X^2$ changes from X = 1 through X = 10
	F2 (CALC) (4 (Σ)) (£.6.7) (𝔅) (𝔅, 6.7) (𝔅) (𝔅) (𝔅) (𝔅) (𝔅) (𝔅) (𝔅) (𝔅
• П	
Function: Ca	alculates a product.
Syntax: П( {	Exp/List}, variable, start value, end value [ ) ]
● ● ● ● ● Example	To calculate the product as the value of X in $X^2$ changes from X = 1 through X = 5
	F2 (CALC) 5 (II) K.#T 2 9 K.#T 9 1 9 5 EXE 14400
	nds a Taylor polynomial. or( {Exp/List}, variable, order [, center point] [ ) ]
● ● ● ● ● Example	To find a 5th order Taylor polynomial for $sin(X)$ with respect to $X = 0$
	F2(CALC) 6 (taylor) sin (i.e. $x^{5}$ ) (i.e. $x^{3}$ ) (i.e.
The default co	enter point is zero.
• arcLen	
	eturns the arc length. _en( {Exp/List}, variable, start value, end value [ ) ]
••••• Example	To determine the arc length for $X^2$ from X = 0 to X = 1
	F2 (CALC) (7 (arcLen)) $\ln (4\sqrt{5} + 8) = -\ln(2) + \sqrt{5}$ KØT ( $x^2$ ) (KØT ) () () () () () ()

#### 7-1-18 Using the CAS (Computer Algebra System) Mode

• tanLine (ta	ınLin)		
Function: R	eturns the expression for a tangent line.		
Syntax: tan	Line( {Exp/List}, variable, variable value at point of tangency [ ) ]		
••••• Example	To determine the expression for a line tangent with $X^3$ when X = 2		
	F2 (CALC) ⑧ (tanLin) 派町 (へ 3 ・ (派町 ・ 2) EEE	12X – 16	
• denominat	tor (den)		
Function: E	xtracts the denominator of a fraction.		
Syntax: der	nominator( {Exp/List} [ ) ]		
••••• Example	To extract the denominator of the fraction $(X + 2)/(Y - 1)$		
	F2 (CALC) 9 (EXTRCT) 1 (den)		
	( ₩₩   (X)	Y – 1	
<ul> <li>numerator</li> </ul>	(num)		
Function: E	xtracts the numerator of a fraction.		
Syntax: nun	nerator( {Exp/List} [ ) ]		
••••• Example	To extract the numerator of the fraction $(X + 2)/(Y - 1)$		
	F2 (CALC) 9 (EXTRCT) 2 (num)		
	( ) ₩₩A ⊕ (X) ⊕ 2 ) ⊕ ( ) ₩₩A ━ (Y) ━ 1 EXE	X + 2	
• gcd			
Function: R	eturns the greatest common divisor.		
Syntax: gcd	( {Exp/List}, {Exp/List} [ ) ]		
••••• Example	To determine the greatest common divisor of X + 1 and $X^2$ -	- 3X – 4	
	F2 (CALC) K&I (gcd) K&I + 1 • K&I 2 - 3 K&I - 4 EE	X + 1	

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#### 7-1-19 Using the CAS (Computer Algebra System) Mode

runction. C	btains the least common multiple of two expressions	
Syntax: lcm	( {Exp/List}, {Exp/List} [ ) ]	
••••• Example	To obtain the least common multiple of $X^2$ – 1 and	ud X <sup>2</sup> + 2X – 3
	F2 (CALC) [09 (Icm) [X.8] [x <sup>2</sup> ] — 1 . [X.8] [x <sup>2</sup> ] + 2 [X.8] — 3 EXE	x <sup>3</sup> + 3x <sup>2</sup> - x - 3
<b>clEqn</b> Function: R	ecalls multiple eqn memory contents.	
	Eqn( memory number [,, memory number] [ ) ]	
Syntax: rclE		
Syntax: rclf • • • • • • Example	To recall the contents of equation memory 2 and	equation memory 3
• • • • •	To recall the contents of equation memory 2 and F3(EQUA) 2 (rclEqn) 2 • 3 EXE	equation memory 3 3X - Y = 7

#### • rclAllEqn (rclAll)

Function: Recall all eqn memory contents. Syntax: rclAllEqn

• The memory numbers of equations produced as the result of a recall are not updated.

# rewrite (rewrit) Function: Moves the right side expression to the left side. Syntax: rewrite( {Eq/Ineq/List} [ ) ] Example To move the right side expression of X + 3 = 5X - X<sup>2</sup> to the left side F3 (EQUA) ④ (rewrit) [x.@] ③ [SHF] • (=) 5 [X.@] X.@] [x<sup>2</sup> [XE X<sup>2</sup> - 4X + 3 = 0

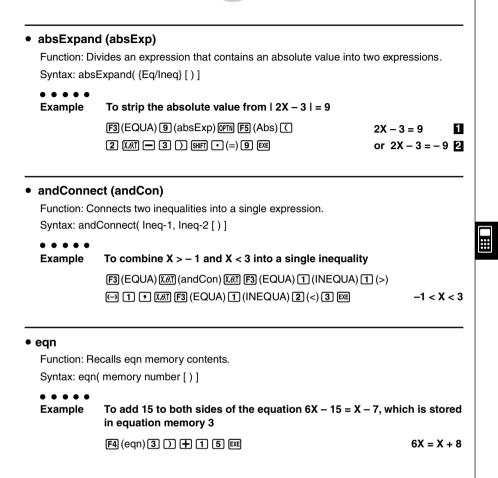
#### 7-1-20 Using the CAS (Computer Algebra System) Mode

• exchange (	(exchng)	
Function: Ex	changes the right-side and left-side expressions.	
Syntax: excl	nange( {Eq/Ineq/List} [ ) ]	
Example	To exchange the left-side and right-side expressions of 3	> 5X – 2Y
	F3 (EQUA) 5 (exchng) 3 F3 (EQUA) 1 (INEQUA) 1 (>)	
	5 (ALPHA) 🕂 (X) 🗕 2 (ALPHA) 🗕 (Y) EXE	5X – 2Y < 3
• eliminate (	elim)	
Function: As	ssigns an expression to a variable.	
Syntax: elim	inate( {Eq/Ineq/List} -1, variable, Eq-2 [)]	
• • • • •		
Example	To transform $Y = 2X + 3$ to $X =$ and then substitute into 2X	+ 3Y = 5
	F3 (EQUA) 6 (elim) 2 APRA + (X) + 3 APRA (Y) SHIT • (=	=)
	5 ) Alpha 🕂 (X) ) Alpha 🗖 (Y) Shift 🖸 (=)	
	2 Alpha 🕂 (X) 🕂 3 EXE	4Y – 3 = 5
• getRight (g	uetRat)	
	ets the right-side element.	
	Right( {Eq/Ineq/List} [ ) ]	
Example	To extract the right side element of $Y = 2X^2 + 3X + 5$	
	F3 (EQUA) 7 (getRgt) (ALPHA) — (Y) (SHIFT • (=)	
	$2 \text{ (IM)} \oplus (X) \text{ (II)} \oplus 3 \text{ (II)} \oplus (X) \oplus 5 \text{ (II)}$	2X <sup>2</sup> + 3X + 5
• invert		
Function: Inv	verts two variables.	
Syntax: inve	rt( {Exp/Eq/Ineq/List} [,variable name 1, variable name 2] [ ) ]	
lf you omit tl	ne variable names, variables X and Y are inverted.	
• • • • •		
Example	To invert X and Y in the expression 2X = Y	
	F3 (EQUA) 8 (invert) 2 (X,0,T) SHIFT • (=) (ALPHA — (Y) EXE	2Y = X

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#### 7-1-21 Using the CAS (Computer Algebra System) Mode



#### 7-1-22 Using the CAS (Computer Algebra System) Mode

• clear (clrVa	ar)	
Function: C	Clears the contents of specific equation (A to Z, $r$ , $\theta$ ).*1	
Syntax: cle	ear( variable [ ) ]	
cle	ear( {variable list} [ ) ]	
Example	To clear the contents of variable A	
	F6 ( $\triangleright$ ) F1 (CLR) 1 (clrVar) (LIPHA) (X.AT) (A) EXE	{ }
Example	To clear the contents of variables X, Y, and Z	
	F6 (▷) F1 (CLR) 1 (clrVar) SHFT 🗙 ( { ) (APA) 🕂 (X) 🕨	
	ALPHA ━ (Y) • ALPHA ❶ (Z) [SHIFT 🕂 ( } ) [EXE	{ }
<ul> <li>clearVarAl</li> </ul>	I (VarAll)	
Function: C	Clears the contents of all 28 variables (A to Z, $r$ , $\theta$ ).	

Syntax: clearVarAll

{ }



\*1When you start out with memories A, B, C, and D, for example, and delete memories A and B, the display shows only C,D because they are the only memories remaining.

#### List Calculation Commands [OPTN]-[LIST] • Dim Function: Returns the dimension of a list. Syntax: Dim List - - - - -Example To determine the dimension of list {1, 2, 3} OPTN [F1 (LIST) [1 (CALC) [1 (Dim) [SHFT] [X] ( { ) [1 ] [2 ] [3 ] SHIFT : ( } ) EXE 3 • Min Function: Returns the minimum value of an expression or the elements in a list. Syntax: Min( {List/Exp} [ ) ] Min( {List/Exp}, {List/Exp} [ ) ] Example To determine the minimum value of the elements in list {1, 2, 3} (PTN) [F1](LIST) (CALC) (Min) HET (( ( ) 1 ) 2 ) 3[SHIFT] ; ( } ) EXE 1 Example To compare each element of list {1, 2, 3} with the value 2, and produce a list whose elements are the minimum value resulting from each comparison OPTN [F1(LIST) 1 (CALC) 2 (Min) SHIFT X ( { ) 1 9 2 9 3 [SHIFT [ ↔ ( } ) • 2 [ EXE] **{1, 2, 2 }** Example To compare the elements of list {1, 2, 3} and list {3, 1, 2}, and produce a list whose elements are the minimum value resulting from each comparison OPTN F1(LIST) 1 (CALC) 2 (Min) SHIFT X ( { ) 1 • 2 • 3 SHIFT ÷ ( } ) SHIFT × ( { ) 3 1 2 SHIFT ÷ ( } ) EXE {1, 1, 2}

#### 7-1-24 Using the CAS (Computer Algebra System) Mode

Max		
Function: R	leturns the maximum value of an expression or the elements of a lis	st.
Syntax: Ma	x( {List/Exp} [ ) ]	
Ma	x( {List/Exp}, {List/Exp} [ ) ]	
• • • • •		
Example	To determine the maximum value of the elements in list {1, 2	, 3}
	@TN F1 (LIST) 1 (CALC) 3 (Max) 9447 🗙 ( { ) 1 • 2 • 3	
	SHFT ÷ (}) EXE	3
• • • • • Example	To compare each element of list {1, 2, 3} with the value 2, and a list whose elements are the maximum value resulting from comparison	•
	0PTN       F1       (LIST)       1       (CALC)       3       (Max)       SHIFT       X       ({)       1       ?       ?       3         SHIFT       ↔       ({)       ?       ?       ?       3	<b>{2, 2, 3</b> }
● ● ● ● ● Example	To compare the elements of list {1, 2, 3} and list {3, 1, 2}, and a list whose elements are the maximum value resulting from comparison	•
	0PTN       F1       (LIST)       1       (CALC)       3       (Max)       SHIFT       X)       ( { )       1       7       2       •       3         SHIFT       ÷       ( { )       •       1       •       2       SHIFT       ÷       ( { )       5       5       1       •       2       SHIFT       ÷       ( { )       5       5       1       •       2       SHIFT       ÷       ( { )       5       5       1       •       2       SHIFT       ÷       ( { )       5       5       1       •       2       SHIFT       ÷       ( { )       5       5       1       •       2       SHIFT       ÷       ( { )       5       5       1       •       2       SHIFT       ÷       ( { } )       5 <td< td=""><td><b>{3, 2, 3</b>}</td></td<>	<b>{3, 2, 3</b> }

#### Mean

Function: Returns the mean of the elements in a list.

Syntax: Mean(List[)]

Mean(List, List [)]

The list must contain values or mathematical expressions only. Equations and inequalities are not allowed.

```
• • • • • Example To determine the mean of the elements in list {1, 2, 3}
```

 $\label{eq:constraint} \begin{array}{c} \mbox{(F1)}(LIST) \end{tabular} (CALC) \end{tabular} (Mean) \end{tabular} \mbox{(A)} \end{tabular} (\end{tabular} \end{tabular} \end{tabular} \end{tabular} \end{tabular} \begin{array}{c} \mbox{(A)} \end{tabular} \end{tabula$ 

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#### 7-1-25 Using the CAS (Computer Algebra System) Mode

••••• Example	To determine the mean of the elements in list {1, 2, 3} when their frequencies are {3, 2, 1}	
	07TN F1 (LIST) 1 (CALC) 4 (Mean) 5HF X ({) 1 • 2 • 3 5HF1 ÷ (}) • 5HF1 X ({) 3 • 2 • 1 5HF1 ÷(}) EE	<u>5</u> 3
Median		
Function: Re	eturns the median of the elements in a list.	
Syntax: Med	lian( List [ ) ]	
Mec	lian(List, List [)]	
The list mus are not allow	t contain values or mathematical expressions only. Equations and inequal ved.	lities
• • • • • Example	To determine the median of the elements in list {1, 2, 3}	
	(PTN F1 (LIST) 1 (CALC) 5 (Median) SHIFT ★ ( { ) 1 • 2 • 3         SHIFT ÷ ( } ) EXE	2
Example	To determine the median of the elements in list $\{1,2,3\}$ when their frequencies are $\{3,2,1\}$	
	@TN F1 (LIST) 1 (CALC) 5 (Median) 581FT X ({)1 • 2 • 3 581FT ÷ (}) • 581FT X ({)3 • 2 • 1 581FT ÷(}) 525	<u>3</u> 2

#### Sum

Function: Returns the sum of the elements in a list.

Syntax: Sum List

The list must contain values or mathematical expressions only. Equations and inequalities are not allowed.

••••• Example	To determine the sum of the elements in list {1, 2, 3}
	@TM F1 (LIST) 1 (CALC) 6 (Sum) 9#FT X ( { ) 1

#### 7-1-26 Using the CAS (Computer Algebra System) Mode

#### • Prod

Function: Returns the product of the elements in a list.

Syntax: Prod List

The list must contain values or mathematical expressions only. Equations and inequalities are not allowed.

#### ••••• Example To determine the product of the elements in list {2, 3, 4}

24

{1, 3, 6}

....

#### Cuml

Function: Returns the cumulative frequency of the elements in a list.

Syntax: Cuml List

The list must contain values or mathematical expressions only. Equations and inequalities are not allowed.

#### • • • • •

Example To determine the cumulative frequency of the elements in list {1, 2, 3}

@TN F1 (LIST) 1 (CALC) 8 (Cuml) 547 X ({)1 • 2 • 3 547 ⊕ (}) 52

#### • Percent (%)

Function: Returns the percentage of each element in a list, the sum of which is assumed to be 100.

Syntax: Percent List

The list must contain values or mathematical expressions only. Equations and inequalities are not allowed.

#### • • • • •

Example To determine the percentage of each element in the list {1, 2, 3}

#### 7-1-27 Using the CAS (Computer Algebra System) Mode

#### ⊿ List

Function: Returns a list whose elements are the differences between the elements of another list.

Syntax: ⊿ List List

The list must contain values or mathematical expressions only. Equations and inequalities are not allowed.

. . . . .

Example To generate a list whose elements are the differences between the elements of list {1, 2, 4}

 0PTN
 F1
 (LIST)
 1
 (CALC)
 X.0.1
 (∠List)
 SHIFT
 X.1
 (
 1
 1
 2
 4

 SHIFT
 Image: (
 )
 EXE
 (
 (
 )
 1
 1
 2
 4

#### StdDev

Function: Returns the sample standard deviation of the elements in a list.

Syntax: StdDev List

The list must contain values or mathematical expressions only. Equations and inequalities are not allowed.

#### • • • • • Example To determine the sample standard deviation of the elements in list {1, 2, 4}

OPTN       F1       (LIST)       1       (CALC)       [9]       (StdDev)       SHIFT       X       ({)       1       •       2       •       4	
Shift 🕂 ( } ) EXE	3

#### Variance (Vari)

Function: Returns the variance of the elements in a list.

Syntax: Variance List

The list must contain values or mathematical expressions only. Equations and inequalities are not allowed.

••••• Example	To determine the variance of the elements in list $\{1, 2, 4\}$	
	@TN F1 (LIST) 1 (CALC) [n (Vari) FT 🗶 ( { ) 1 ◑ 2 ◑ 4 FT 🛨 ( } ) EVE	-

**{1, 2}** 

#### 7-1-28 Using the CAS (Computer Algebra System) Mode

#### Seq

Function: Generates a list in accordance with a numeric sequence expression. Syntax: Seq( Exp, variable, start value, end value, [increment] [)] If you do not specify an increment, an increment of 1 is used.

#### • • • • •

# Example To generate a list in accordance with the expression: value A, end value 3A, increment A

 OPTN F1 (LIST) 2 (CREATE) 1 (Seq) K.Ø.T • K.Ø.T • M.P.M. K.Ø.T (A) • 3

 M.P.M. K.Ø.T (A) • M.P.M. K.Ø.T (A) EXE

 4A, 2A, 3A }

#### Augment (Augmnt)

Function: Returns a new list that appends List 2 to List 1. Syntax: Augment( List, List [ ) ]

#### • • • • • Example

e To combine list {1, 2} and list {3, 4}

 $\{1, 2, 3, 4\}$ 

#### • Fill

Function: Replaces the elements of a list with a specified value or expression. This command can also be used to create a new list whose elements all contain the same value or expression.

Syntax: Fill( {Exp/Eq/Ineq}, List [ ) ]

Fill( Exp, numeric value [ ) ]

#### • • • •

Example	To replace the elements of list {3, 4} with X	
	071\F1 (LIST) 2 (CREATE) 3 (Fill) (7.67]	{X, X}
••••• Example	To create a list with eight elements, all of which are X	

 Image: Weight of the state of the

#### 7-1-29 Using the CAS (Computer Algebra System) Mode

#### SortA

Function: Sorts the elements of a list into ascending order.

Syntax: SortA( List [ ) ]

The list must contain values or mathematical expressions only. Equations and inequalities are not allowed.

# Example To sort the elements of list {1, 5, 3} into ascending order OPTN F1 (LIST) 2 (CREATE) 4 (SortA) SHFT X ( { ) 1 7 5 7 3 SHFT + ( } ) EXE

#### SortD

Function: Sorts the elements of a list into descending order.

Syntax: SortD( List [ ) ]

The list must contain values or mathematical expressions only. Equations and inequalities are not allowed.

#### • • • • •

Example To sort the elements of list {1, 5, 3} into descending order

 OPTN
 F1(LIST) 2 (CREATE) 5 (SortD) SHIFT X ({)1 5 3

 SHIFT • (})
 SUE

 (5, 3, 1)

#### SubList (SubLst)

Function: Extracts a specific section of a list into a new list.

Syntax: SubList( List, start number [, end number] [ ) ]

### Example To extract element 2 through element 3 from list {1, 2, 3, 4}

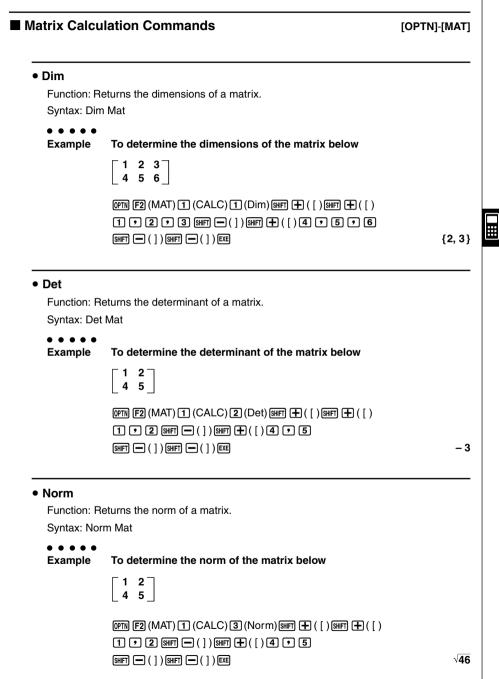
 @FN F1 (LIST) 2 (CREATE) 6 (SubLst) [SHIF] X ( { ) 1 • 2 • 3

 • 4 [SHIF] ÷ ( } ) • 2 • 3 [EE]

• If you do not specify an end number, all the elements from the start number to the end of the list are extracted.

#### 7-1-30 Using the CAS (Computer Algebra System) Mode

	(L→Mat) onverts lists into a matrix. →Mat( List [ , ,List ] [ ) ]	
••••• Example	To convert list {3, 5} and list {2, 4} into a matrix	
	(LIST) ③ (LIST→) ① (L→Mat) (HFT X ({) ③ ● 5         (HFT ÷ (}) ● (HFT X ({) ② ● 4         () ● (HFT X ({) ② ● 4	$\begin{bmatrix} 3 & 2 \\ 5 & 4 \end{bmatrix}$
● List→Vect Function: Co	(L→Vect) onverts a list into a vector.	
Syntax: List	→Vect List	
Example	To convert list {3, 2} into a vector	
	@PTN F1 (LIST) 3 (LIST→) 2 (L→Vect) SHFT X ({)3 • 2 SHFT 🛨 (}) EEE	[3, 2]



#### • EigVc

Function: Returns the eigenvector of a matrix. Syntax: EigVc Mat

```
      Example
      To determine the eigenvector of the matrix below

        \begin{bmatrix}
            3 & 4 \\
            1 & 3
        \end{bmatrix}

        ØFTN F2 (MAT) 1 (CALC) 4 (EigVc)

        SHFT + ([) SHFT + ([) 3 • 4

        SHFT + ([) SHFT + ([) 3 • 4

        SHFT - (]) SHFT + ([)

        1 • 3 SHFT - (]) SHFT - (]) EXE
```

Eigenvectors are stacked vertically on the display.

 SHIFT
 ( ] )
 SHIFT
 ( ] )
 EXE

In this example,  $(0.894427191 \quad 0.4472135955)$  are the eigenvectors that correspond to 5, while  $(-0.894427191 \quad 0.4472135955)$  are the eigenvectors that correspond to 1.

An eigenvector has an infinite number of solutions. The eigenvector displayed by this command is the one with a size of 1.

# EigVI Function: Returns the eigenvalue of a matrix. Syntax: EigVI Mat To determine the eigenvalue of the matrix below 3 4 0PTN F2 (MAT) 1 (CALC) 5 (EigVI) SHET + ([) SHET + ([)

{5, 1}

Ш

#### 7-1-33 Using the CAS (Computer Algebra System) Mode

#### Rref

Function: Returns the reduced row echelon form of a matrix. Svntax: Bref Mat

```
• • • • •
Example
```

To determine the reduced row echelon form of the matrix below

 $\begin{bmatrix} -2 & -2 & 0 & -6 \\ 1 & -1 & 9 & -9 \\ -5 & 2 & 4 & -4 \end{bmatrix}$ 

 0PNN F2 (MAT) 1 (CALC) 6 (Rref) SHFT + ([) (SHFT + ([)

 ()

 ()

 ()

 ()

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#### Ref

Function: Returns the row echelon form of a matrix. Syntax: Ref Mat

• • • • •

Example To determine the row echelon form of the matrix below

- -2 -2 0 -6 1 -1 9 -9 \_ -5 2 4 -4



#### 7-1-34 Using the CAS (Computer Algebra System) Mode

#### • LU

Function: Returns the LU resolution of a matrix.

Syntax: LU( Mat, lower memory, upper memory)

. . . . . Example

To determine the LU resolution of the matrix below

<b>6</b>	12	18 ๅ
5	14	31
└ 3	8	18 _

The lower matrix is assigned to variable A, while the upper matrix is assigned to variable B.

OPTN F2 (MAT) 1 (CALC) 8 (LU) SHIFT 🕂 ([) SHIFT 🕂 ([)		
6 • 1 2 • 1 8 Shft - ( ] ) Shft + ( [ )		
5 • 1 4 • 3 1 SHFT - ( ] ) SHFT + ( [ )	<b>⊢</b> 6	12
3 • 8 • 1 8 SHFT - ( ] ) SHFT - ( ] ) •	0	4
(ALPHA) (X.O.T) (A) () (ALPHA) log (B) EXE	Lo	0



The upper matrix is displayed as the calculation result.

To display the lower matrix, recall the lower matrix variable (A in this example) specified by the command.

 $[ALPHA] [X, \theta, T] (A) EXE$ 

1	0	0
<u>5</u> 6	1	0
<u>1</u> 2	<u>1</u> 2	1

To display the upper matrix, recall the upper matrix variable (B in this example) specified by the command.

#### • Trn

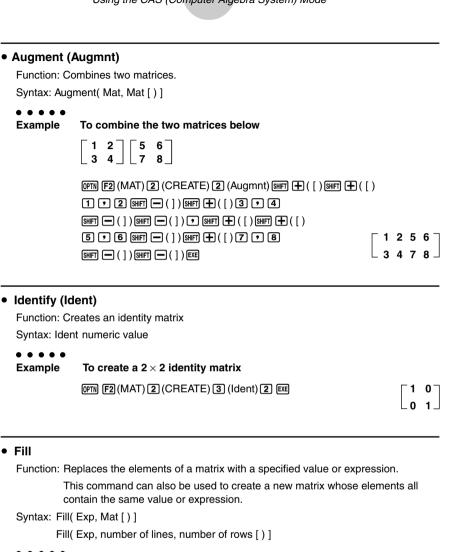
Function: Transposes a matrix.

Syntax: Trn Mat

#### . . . . . Example To transpose the matrix below 12 34 OPTN F2 (MAT) CREATE) (Trn) (I) 1 • 2 SHFT - ( ] ) SHFT + ( [ ) 3 • 4

SHIFT - ( ] ) SHIFT - ( ] ) EXE

#### 7-1-35 Using the CAS (Computer Algebra System) Mode



```
. . . . .
```

Example To replace the elements of the matrix below with X

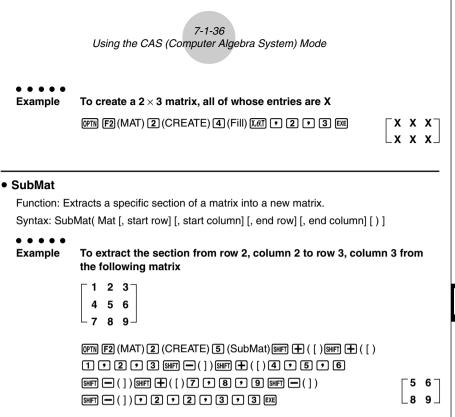
34 12

 0PTN
 F2 (MAT)
 2 (CREATE)
 4 (Fill)
 (K,AT)
 5 (HFT)
 ( ] )

 SHFT
 ( ] )
 ( ] )
 ( ] )
 ( ] )
 ( ] )
 ( ] )

 1
 •
 2 (SHFT)
 • ( ] )
 ( ] )
 ( ] )
 EXE

 $\begin{bmatrix} \mathbf{X} & \mathbf{X} \\ \mathbf{X} & \mathbf{X} \end{bmatrix}$ 

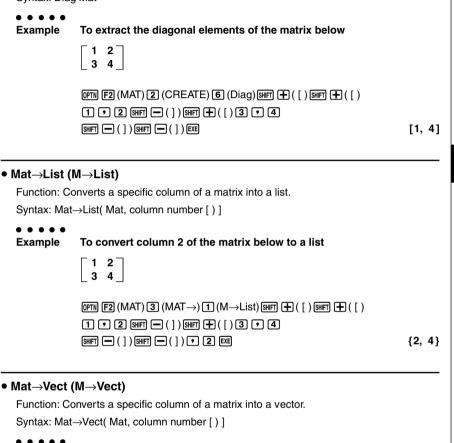


• If you do not specify an end row and column, all the entries from the start row/column to the end of the matrix are extracted.

#### 7-1-37 Using the CAS (Computer Algebra System) Mode

#### Diag

Function: Extracts the diagonal elements of a matrix. Syntax: Diag Mat



Example To convert column 2 of the matrix below to a vector

12 34

 0PTN
 F2 (MAT) ③ (MAT→) ② (M→Vect) ⑤HFT ⊕ ([) ⑤HFT ⊕ ([)

 1
 •
 2 ⑤HFT ● (]) ⑥HFT ⊕ ([) ③ •

 6HFT ● (]) ⑤HFT ● (]) •
 2 ØZE

20011101

[2, 4]

#### 7-1-38 Using the CAS (Computer Algebra System) Mode

## Swap Function: Swaps two rows of a matrix. Syntax: Swap Mat, row number 1, row number 2 Example To swap row 1 with row 2 of the following matrix 1 2 3 4 OPTN [F2 (MAT) [4] (ROW) [1] (Swap) [SHIFT] [+] ([) [SHIFT] [+] ([) $\begin{bmatrix} 3 & 4 \\ 1 & 2 \end{bmatrix}$ 1 • 2 SHIFT - ( ] ) SHIFT + ( [ ) 3 • 4 SHIFT - ( ] ) SHIFT - ( ] ) • 1 • 2 EXE • \*Row Function: Returns the scalar product of a row of a matrix. Syntax: \*Row(Exp, Mat, row number [)] Example To multiply row 1 of the matrix below by X 1 2 3 4 (PTN F2 (MAT) 4 (ROW) 2 (\* Row) (X.0.T • SHIFT + ( [ ) SHIFT + ( ) 1 • 2 SHIFT ( ) SHIFT + ( ( ) X 2X 34 3 • 4 SHIFT - ( ] ) SHIFT - ( ] ) • 1 EXE • \*Row+ Function: Calculates the scalar product of one row of a matrix and adds the result to another row. Svntax: \*Row+(Exp. Mat. line number 1. line number 2 [)]

. . . . .

Example To multiply row 1 of the matrix below by X, and add the result to row 2

12 34

OPTN F2 (MAT) 4 (ROW) 3 (\* Row+) (X, 0, T) • SHIFT + ( [ )  $\begin{bmatrix} 1 & 2 \\ X+3 & 2X+4 \end{bmatrix}$  

 SHIFT
 + ([)
 1
 •
 2
 SHIFT
 - (])
 SHIFT
 + ([)

 3 • 4 SHIFT - ( ] ) SHIFT - ( ] ) • 1 • 2 EXE

#### 7-1-39 Using the CAS (Computer Algebra System) Mode

#### • Row+

Function: Adds one row of a matrix and to another row. Syntax: Row+( Mat, row number 1, row number 2 [ ) ]

3 • 4 SHIFT - ( ] ) SHIFT - ( ] ) • 1 • 2 EXE

1 2 4 6

ector Calcu	Ilation Commands	OPTN]-[VECT]
• Dim		
Function: R Syntax: Dim	eturns the dimension of a vector. n Vect	
● ● ● ● ● Example	To determine the dimension of the vector (1 2 3)	
	@FN F3 (VECT) 1 (CALC) 1 (Dim) SHFT ╋ ([)1 ? 2 ? 3 SHFT ━ (]) EXE	3 3
CrossP		
	eturns the cross product of two vectors. ssP( Vect, Vect [ ) ]	
● ● ● ● ● Example	To determine the cross product of vector (1 2 3) and vector	or (4 5 6)
	@TN F3 (VECT) 1) (CALC) 2) (CrossP) SHFT + ([)1 → 2 SHFT - (]) → SHFT + ([)4 → 5 → 6 SHFT - (]) EXE	) 3 [-3,6,-3]
DotP		
	eturns the dot product of two vectors. P( Vect, Vect [ ) ]	
● ● ● ● ● Example	To determine the dot product of vector (1 2 3) and vector (	(4 5 6)
	@TN F3(VECT) 1 (CALC) 3 (DotP) SHIFI + ([)1 • 2 •         SHIFI - (]) • SHIFI + ([)4 • 5 • 6 SHIFI - (]) EXE	3 32
Norm		
Function: Re Syntax: Nor	eturns the norm of a vector. m Vect	
● ● ● ● ● Example	To determine the norm of the vector (1 2 3)	
	() (VECT) 1 (CALC) 4 (Norm) () ( ( ) 1 • 2 • ( ) ( ) ( ) ( ) ( ) ( ) ( ) ( ) ( ) (	3 √14

#### 7-1-41 Using the CAS (Computer Algebra System) Mode

• UnitV						
Function: No	Function: Normalizes a vector.					
Syntax: Unit	V Vect					
● ● ● ● ● Example	To normalize a vector (1 2 3)					
	Image: Control (CALC)       Image: Calcon (Calcon (Ca					
Angle						
Function: Re	eturns the angle formed by two vectors.					
Syntax: Ang	le( Vect, Vect [ ) ]					
● ● ● ● ● Example	To determine the angle formed by vector (1 2) and vector (3 4) (Unit Angle: Rad)					
	$\begin{array}{c} \hline \label{eq:constraint} \hline \mbox{OFTN} \ \mbox{F3}(VECT) \ \mbox{I} \ (CALC) \ \mbox{6} \ (Angle) \ \mbox{SHFT} \ \mbox{I} \ ([) \ \mbox{I} \ \mbox{I} \ \mbox{I} \ ([) \ \mbox{I} \ \mbo$					
Augment (/	Augmnt)					
Function: Co	ombines two vectors.					
Syntax: Ang	le( Vect, Vect [ ) ]					
● ● ● ● ● Example	To combine vector (1 2) and vector (3 4)					
	OPTN       F3 (VECT) 2 (CREATE) 1 (Augmnt) SHFT + ([)1 2         SHFT - (]) 5 SHFT + ([)3 7 4 SHFT - (]) EXE       [1, 2, 3, 4]					
• Fill						
	eplaces the elements of a vector with a specified value or expression. Exp, Vect [ ) ]					
• • • • • Example	To replace the components of the vector below with X					
	(PTN) F3(VECT) (2) (CREATE) (2) (Fill) (X.#] () (SHET (-) ()         (3) (4) (SHET (-) ()) (EXE					

.....

#### 7-1-42 Using the CAS (Computer Algebra System) Mode

● Vect→List (V→List)				
Function: Converts a vector into a list.				
Syntax: Veo	ct→List Vect			
Example	To convert vector (3 2) into a list			
	@TN F3(VECT)3(VECT→)1(V→List)9#F1+([)3 • 2			
	Shift — ( ] ) EXE	<b>{3, 2}</b>		
<ul> <li>Vect→Mat</li> </ul>	(V→Mat)			
	Converts vectors into a matrix.			
Syntax: Veo	ct→Mat( Vect [, ,Vect ] ( ] )			
• • • • •				
Example	To convert vector (3 5) and (2 4) into a matrix			
	071N F3 (VECT) 3 (VECT→) 2 (V→Mat) 5417 + ( [ ) 3 • 5	<b>32</b> ]		
	Shift — ( ] ) • Shift 🕂 ( [ ) 2 • 4 Shift — ( ] ) EXE	_5 4_		



# 7-2 Algebra Mode

The CAS Mode automatically provides you with the final result only. The Algebra Mode, on the other hand, lets you obtain intermediate results at a number of steps along the way.

On the Main Menu, select the **ALGEBRA** icon to enter the Algebra Mode. The screens in this mode are the same as those in the CAS Mode.

Operations in the Algebra Mode are identical to those in the CAS Mode, except for a number of limitations. Also, the following commands are available in the Algebra Mode only.

#### • arrange (arrang)

Function: Collects like terms and arranges them in order, starting with the term that contains the smallest coefficient.

Syntax: arrange( {Exp/Eq/Ineq} [ ) ]

#### • • • • • Example To arrange 2X + 3 – 5X + 8Y in sequence of its variables

F1(TRNS)9(arrang)2 APPA + (X)+ 3 -

5 Alpha 🕂 (X) 🕂 8 Alpha 🗕 (Y) exe

- 5X + 2X + 8Y + 3

#### replace (replac)

Function: Replaces a variable with the expression assigned to the corresponding expression variable.

Syntax: replace( {Exp/Eq/Ineq} [ ) ]

#### . . . . .

Example To replace S in the expression 3X + 2S, when the expression 2X + 1 is assigned to S

F1 (TRNS) K.AT (replac) 3 K.AT + 2 APH X (S) EXE 3X + 2 (2X + 1)

##



# 7-3 Tutorial Mode

On the Main Menu, select the TUTOR icon to enter the Tutorial Mode.

#### Tutorial Mode Flow

- 1. Specify the expression type.
- 2. Define the expression.
- 3. Specify the solve mode.

## Specifying the Expression Type

Entering the Tutorial Mode displays a menu of the following expression types.

- Linear Equation
- Linear Inequality
- Quadratic Equation
- Simul (Simultaneous) Equation

Use the cursor keys to highlight the expression type you want to specify, and then press EXE .

This displays a list of formulas for the expression type you select. Move the cursor to the formula you want to use.

In the case of Linear Inequality, press F4 (TYPE) to select the inequality type.

7-3-2 Tutorial Mode

The following shows the formulas available for each type of expression.

Linear Equation — 6 Types

• AX = B • AX + B = C • A(BX + C) = D(EX + F)	• X + A = B • AX + B = CX + D •  AX + B  = C
Linear Inequality — $6 \times 4$ Types • AX $\{ > < \ge \le \}$ B • AX + B $\{ > < \ge \le \}$ C • A(BX + C) $\{ > < \ge \le \}$ D(EX + F)	• X + A { > < ≧≦ } B • AX + B { > < ≧≦ } CX + D •  AX + B  { > < ≧≦ } C
Quadratic Equation — 5 Types • $AX^2 = B$ • $AX^2 + BX + C = 0$ • $AX^2 + BX + C = DX^2 + EX + F$	• (AX + B) <sup>2</sup> = C • AX <sup>2</sup> + BX + C = D
Simul Equation — 10 Types • $AX + BY = C$ DX + EY = F • $AX + BY + C = 0$ DX + EY + F = 0 • $AX + BY = C$ Y = DX + E • $AX + BY = C$ DX + EY + F = GX + HY + I • $AX + BY + C = DX + EY + F$ Y = GX + H	• $Y = AX + B$ Y = CX + D • $AX + BY + C = DX + EY + F$ GX + HY + I = JX + KY + L • $AX + BY = C$ DX + EY + F = 0 • $AX + BY + C = 0$ Y = DX + E • $AX + BY + C = 0$ DX + EY + F = GX + HY + I

Pressing F6 (EXCH) reverses the left side and right side elements of the expression.

## Defining the Expression

In this step, you specify coefficients and define the expression. You can select any of the three following methods for specifying coefficients.

- {RAND} ... {random generation of coefficients}
- {INPUT} ... {key input of coefficients}
- {SMPL} ... {selection of coefficients from samples}
- {SEED} ... {selection of a number from 1 to 99 (specification of the same number displays the same expression)}

F1 (RAND) or EXE generates random coefficients and defines the expression.

E2 (INPUT) displays the coefficient input screen. Input coefficients, pressing EE after each. After you finish inputting all the coefficients, press F6 (EXE) to define the coefficient.

F3 (SMPL) displays a number of preset sample expressions. Highlight the one you want to use and then press EXE to define it.

Pressing F4 (SEED) displays a number selection screen. When you want to create the same problem on another calculator, specify an appropriate matching number and press  $\mathbb{E}$ .

No matter what method you use, the expression you define is displayed in the output area.

You can copy an expression to the Graph Mode as a graph function\*1.

• {L•COP}/{R•COP} ... copy {left side element}/{right side element} as a graph function

(Simultaneous Equation Mode\*2)

• {1•COP}/{2•COP} ... copy {first}/{second} expression as a graph function

\*<sup>1</sup> In the case of an inequality, the inequality symbols are also copied.

\*2 Simultaneous equations are transformed to the format Y = AX + B when copied.

## Specifying the Solve Mode

You can select one of the following three solve modes for the displayed expression.

• {VRFY} ... {Verify Mode}

In this mode, you input a solution for verification of whether or not it is correct. It provides a good way to check solutions you arrive at manually.

#### • {MANU} ... {Manual Mode}

In this mode, you manually input algebra commands, transform the expression, and calculate a result.

• {AUTO} ... {Auto Mode}

In this mode, the solution is produced automatically, one step at a time.

#### Verify Mode

Press F4 (VRFY) to enter the Verify Mode.

The expression is shown in the top line of the display. Input the solution underneath it, and then press F6 (JUDG) to determine whether the solution is correct.

The verification result screen shows the left side and right side verification result (except for a linear equation).

- However, in the case where a linear equation or quadratic equation has two solutions, the left side and right side are obtained for the value where the pointer is located.
- In the case of simultaneous equations where the left side and right side of the second equation are dissimilar even though the left side and right side of the first equation match, the left side and right side of the second equation only are obtained. In other cases, the left side and right side of the first equation are obtained.

The type of solution input screen that appears is selected according to the expression type. To input a different type, press F1 (TYPE) and then select the solution type you want to want to use. Available solution types depend on the mode.

- {X = a} ... X has one solution (X = a) (linear equation default)
- {X = a, b} ... X has two solutions (X = a, X = b) (quadratic equation default)
- {X = a, Y=} ... X and Y have one solution each (X = a, Y = b) (simultaneous equation default)
- $\{X > a\} \dots X \{ > < \ge \le \}$  a (linear inequality default)
- {**X** < **a**, **b** <} ... X < a, b < X or  $X \le a, b \le X$
- $\{\mathbf{a} < \mathbf{X} < \mathbf{b}\} \dots \mathbf{a} < X < \mathbf{b}, \mathbf{a} \leq X \leq \mathbf{b} \text{ or } X = \mathbf{a}$
- {Identi} (Identity) ... identity of left side and right side
- {Many} (Many Solutions) ... many solutions
- {No sol} (No Solution) ... no solution



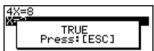
You can press F4 (MANU) to change to the Manual Mode or F5 (AUTO) to change to the Auto Mode.

• • • • • Example

#### To solve 4X = 8 in the Verify Mode

(Linear Equation)(AX = B) F2 (INPUT) ④ EE ⑧ EE F6 (EXE) F4 (VRFY) ② EE F6 (JUDG)

49-0	
40-0	
X=2	



### Manual Mode

Press F5 (MANU) to enter the Manual Mode.

As with the Algebra Mode, the screen is divided between an input area and a display area. This means you can select Algebra Mode commands from the function menu, transform the expression, and solve it.

Operation is the same as that in the Algebra Mode.

After you obtain a result, you can press F5 (JUDG) to determine whether or not it is correct.

- {**DISP**} ... Determines whether the expression in the display area is a correct solution.
- {Identi} ... identity of left side and right side
- {Many} ... many solutions
- {No sol} ... no solution

You can press F6 (AUTO) to change to the Auto Mode.

## • • • • • • Example Solve 4X = 8 in the Manual Mode

(Linear Equation)(AX=B) F2 (INPUT) ④ EE ⑧ EE F6 (EXE) F5 (MANU)

F4 (eqn) 1 ) 🕂 4

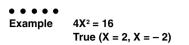
F1 (TRNS) 1 (smplfy) F4 (eqn) 2

F5 (JUDG) 1 (DISP)

4X=8	0
<u>eqn(1)/4</u> 4X=8 4	Ē
<u>simplify(eqn(2</u> X=2	E

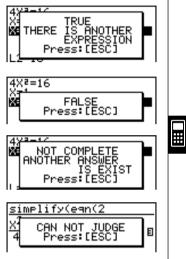
rclEqn(1)

simplify(eqn(2	
X= TRUE Press:[ESC]	ר



Besides "TRUE" the messages shown below can also appear as the result of verification. "CAN NOT JUDGE" appears in the Manual Mode, while the other messages appear in both the Verify Mode and Manual Mode.

7-3-7 Tutorial Mode



## Auto Mode

Press F6 (AUTO) to enter the Auto Mode.

In the Simultaneous Equation Mode, you must also select SBSTIT (Substitution Method) or ADD-SU (Addition/Subtraction Method).

The Substitution Method first transforms the equation to the format Y = aX + b, and substitutes aX + b for  $Y^{*1}$  in the other equation.

The Addition/Subtraction Method multiplies both sides of the expression by the same value to isolate the coefficient X (or Y).

As with the Algebra Mode, the screen is divided between an input area and a display area.

Each press of  $F_6$  (NEXT) advances to the next step.  $F_6$  (NEXT) is not shown on the display when the solution is obtained.

You can scroll back through the steps by pressing F1 (BACK).

#### To solve 4X = 8 in the Auto Mode Example (Linear Equation)(AX = B) rclEan(1 4X=8 ۵ F2 (INPUT) 4 EXE 8 EXE F6 (EXE) F6 (AUTO) BACK NEXT F6 (NEXT) ean(1)/4 ٦ simplify(eqn(2)) F6 (NEXT) X=2 E



\*1 You can press F5 (ADD SU) at any time to switch from Substitution Method to Addition / Subtraction Method. # See 7-1-8 for information about graph functions.

# 7-4 Algebra System Precautions

- If an algebraic operation cannot be performed for some reason, the original expression remains on the display.
- It may take considerable time to perform an algebraic operation. Failure of a result to appear immediately does not indicate malfunction of the computer.
- Any expression can be displayed in various different formats. Because of this, you should not assume that an expression is wrong just because it does not appear as you expected.
- This calculator performs integration calculations under the assumption that integrals are always positive, even when the integrals switch between positive and negative.

$$\int_{a}^{b} f(x) = F(b) - F(a)$$

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